

Credibility of risk predictions in medical research: concepts, tools, and applications

Babak Oskooei

London Hub for Trials Methodology Research
MRC Clinical Trials Unit at UCL
27 November 2015

1. Introduction – why risk prediction is important
2. Risk prediction models
3. Concepts underlying the assessment of risk predictions
 - a. Discrimination
 - b. Calibration
 - c. **Predictive ability**
4. Performance of a survival risk prediction model
 - a. In validation setting: transportability & reproducibility
 - b. A new measure of predictive ability: total gain (TG) statistics
5. Some real examples
6. Conclusions

Why is risk prediction important?

- It is used in clinical management of patients
 - Selection for surgery
 - Selection for screening/diagnostic tests
 - Determining prognosis
- It can be used to assess the importance/significance of available prognostic factors as well as the new biomarkers
- We use them in the design of clinical trials
 - E.g. RAMPART trial

Clinical management of patients

Example I: breast cancer

- Online web-tool PREDICT www.predict.nhs.uk :
 - to select the most appropriate adjuvant therapy following surgery

PREDICT Tool: Breast Cancer Survival; Input

Age at diagnosis:

Mode of detection: Screen-detected Symptomatic Unknown

Tumour size in mm: (blank if unknown)

Tumour Grade: 1 2 3 Unknown

Number of positive nodes: (blank if unknown)

ER status: Positive Negative

HER2 status: Positive Negative Unknown

KI67 status: Positive Negative Unknown

Gen chemo regimen: No chemo Second Third

PREDICT Tool: Breast Cancer Survival; Results

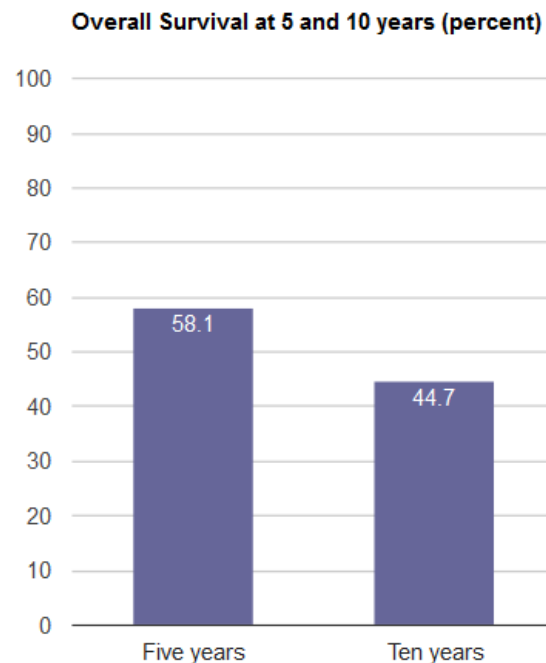
Five year survival

58 out of 100 women are alive at 5 years with no adjuvant therapy after surgery

Ten year survival

45 out of 100 women are alive at 10 years with no adjuvant therapy after surgery

To view the numbers in bars hover pointer over each bar-segment
(Or tap segment if using a mobile device)



Clinical management of patients

Example II: American college of surgeons surgical risk calculator - <http://riskcalculator.facs.org/>

Procedure 44140 - Colectomy, partial; with anastomosis **Clear**

Begin by entering the procedure name or CPT code. You may also search using two words (or two partial words) by placing a "+" in between, for example: "cholecystectomy+cholangiography"

Reset All Selections

Please enter as much of the following information as you can to receive the best risk estimates.
A rough estimate will still be generated if you cannot provide all of the information below.

Age Group	65-74 years	Diabetes	None
Sex	Male	Hypertension requiring medication	Yes
Functional status	Independent	Previous cardiac event	No
Emergency case	No	Congestive heart failure in 30 days prior to surgery	No
ASA class	II - Mild systemic disease	Dyspnea	None
Wound class	Clean/Contaminated	Current smoker within 1 year	Yes
Steroid use for chronic condition	No	History of severe COPD	No
Ascites within 30 days prior to surgery	No	Dialysis	No
Systemic sepsis within 48 hours prior to surgery	None	Acute Renal Failure	No
Ventilator dependent	No	BMI Calculation: Height (in)	69
Disseminated cancer	No	Weight (lbs)	250

Back **Continue** Step 2 of 4

Clinical management of patients

Example II: American college of surgeons surgical risk calculator - <http://riskcalculator.facs.org/>

ACS NSQIP Surgical Risk Calculator

Procedure: 44140 - Colectomy, partial; with anastomosis
Risk Factors: Age: 65-74, Male, Clean/Contaminated wound, HTN, Smoker, Obese (Class2)

Outcomes	Estimated Risk	Chance of Outcome
Death	<1%	Below Average
Any Complication	21%	Average
Pneumonia	2%	Below Average
Cardiac Complication	1%	Below Average
Surgical Site Infection	16%	Above Average
Urinary Tract Infection	2%	Below Average
Venous thromboembolism	2%	Average
Renal Failure	1%	Above Average
Serious Complication	16%	Below Average

Average Length of Hospital Stay: 6 days

How to Interpret the Graph Above:
Your Risk | Average Patient Risk | Your % Risk (X%)

Surgeon Adjustment of Risks
This will need to be used infrequently, but surgeons may adjust the estimated risks if they feel the calculated risks are underestimated. This should only be done if the reason for the increased risks was NOT already entered into the risk calculator.
1 - No adjustment necessary

Step 3 of 4

Clinical risk predictions:

Example III: Cancer prognosis

Name of the web-tool	Web address
Adjuvant Online	http://www.adjuvantonline.com/
AJCC—individualized melanoma patient outcome prediction tools	http://www.melanomaprognosis.org/
Artificial neural networks in prostate cancer	http://www.prostatecalculator.org/
Biochemical recurrence-free survival prediction model	http://eurology.surgery.duke.edu/Aspx/PredictionModel/NomogramsModel.aspx
CancerMath	http://www.lifemath.net/cancer/
UCSF—capra Score	http://urology.ucsf.edu/patientGuides/uroOncPt_Assess.html#capra
Cancer survival query system	http://www.csqs.cancer.gov/
DFS calculator for EBRT, brachytherapy and combinations of the two	http://www.prostate-cancer-radiotherapy.org.uk/calculator.htm
FinProg online	http://www.finprog.org/CM/CM2.asp?pi = 1
Nomograms for predictiong survival of GBM patients	http://www.eortc.be/tools/gbmcalculator/model1.aspx
The Han tables	http://urology.jhu.edu/prostate/hanTables.php
IBTR—breast cancer module version 2.0	http://160.109.101.132/ibtr/
Knight Cancer Institute—survival prediction tools	http://skynet.ohsu.edu/nomograms/
Lerner Research Institute—risk calculators	http://www.lerner.ccf.org/qhs/risk_calculator/
MAASTRO prediction website	http://www.predictcancer.org/
MD Anderson clinical calculators	http://www.mdanderson.org/education-and-research/resources-for-professionals/clinical-tools-and-resources/clinical-calculators/index.html
Memorial Sloan-Kettering—prediction tools	http://www.mskcc.org/cancer-care/prediction-tools
University of Montreal—nomograms	http://nomogram.org/
Mayo clinic adjuvant tool (numeracy)	http://www.mayoclinic.com/calcs/
Prognostigram	http://otooutcomes.wustl.edu/research/topics/cancer/Pages/Prognostigram.aspx
QxMD—calculate	http://www.qxmd.com/apps/calculate-by-qxmd
Calculator for estimating overall life expectancy and lifetime risk for prostate cancer death in newly diagnosed men managed without definitive local therapy	http://www.roswellpark.org/apps/prostate_cancer_estimator/

Ref: Rabin BA, Gaglio B, Sanders T, et al. (2013), *Cancer Epidemiol. Biomarkers Prev.*, 1645–1656 DOI: 10.1158/1055-9965.EPI-13-0513

A risk prediction model

- Aim of a risk prediction model:
 - to assess the **prognostic** ability of risk factors or the model.
- Prognosis: prediction of the **course** or **outcome** of disease
 - The course is about the disease at the **population** level
 - The outcome is at the **individual** level
- A risk prediction model is:
 - A formal combination of multiple predictors
 - Converts predictor values to an estimate of risk
 - Other names: prognostic model; prognostic index (**PI**)/rule
- Developmental phases:
 1. Design and model building – i.e. sample size; selection bias
 - Statistical modeling: the two cultures - Breiman L. (2001)
 2. model assessment – **focus of this talk**
 3. Clinical impact – i.e. utility analysis

Linear regression model:

- In linear model $Y = \beta X + \varepsilon$ where $\varepsilon \sim N(0, \sigma^2)$
 - Y : outcome, e.g. weight, X: covariates, e.g. age, sex, height
- The outcome is usually expressed in terms of:
 - Parameter estimates: $\hat{\beta}$
 - Confidence intervals (CI)
 - Model fits statistics, e.g. Chi-squared statistic
 - P-values – it can be interpreted as **"a measure of surprise"**
- The P-value fallacy:
 - It only answers one question: "Does an observed difference exceed that which might reasonably be expected solely as a result of sampling error and/or random allocation of individuals?" (*Colquhoun - 2014, DOI: [10.1098/rsos.140216](https://doi.org/10.1098/rsos.140216)*)
- Classical statistics tells us how to allow for uncertainty in the data. But what about uncertainty in the model?
- None of these measures provide information about the worth of the model or about the credibility of model based predictions.

Linear regression model: Predictive ability

- In linear model $Y = \beta X + \varepsilon$ where $\varepsilon \sim N(0, \sigma^2)$
 - Y : outcome, e.g. weight, X : covariates, e.g. age, sex, height
- R^2 measures the amount of prognostic information (i.e. reduction in uncertainty):
- Uncertainty can be measured using: variance, likelihood, etc.

$$R^2 = \frac{\text{Var}(Y) - E[\text{Var}(Y|X)]}{\text{Var}(Y)}$$
$$r^2 = \frac{\text{Var}(\hat{\beta}x)}{\text{Var}(\hat{\beta}x) + \sigma_\varepsilon^2}$$

- R^2 properties: I) $R^2 \in [0,1]$; II) $\beta \uparrow \therefore R^2 \uparrow$
- Variance of $\hat{\beta}x$ (PI) provides vital information.
- Some only consider $\text{Var}(\hat{\beta}x)$ or functions of it, Crager (2012) or D-statistic

Assessment of a risk prediction model

Different Facets of a risk prediction model:

- Discrimination – when the outcome is event
 - The ability of model to distinguish between the high and low risk
- Calibration
 - The agreement between the observed & predicted outcomes
- Predictive ability
 - What is the amount of prognostic information that the model provide
 - Accuracy of prediction at individual level: **clinical decision making**

Assessment of a risk prediction model

Tools to assess a risk prediction model:

- Discrimination – both rank bases measures
 - The c-index, $c \in [0.5,1]$ (see [Berrar & Flach \(2011\)](#) for pitfalls)
 - The D-statistic, $D \cong \sqrt{Var(PI)}$
- Calibration
 - Calibration plot: agreement bet. observed/predic. Outcomes
 - H-L Chi-squared test
- Predictive ability - R^2 -type measure
 - At the population level: disease-related
 - At individual level: **clinical decision making**

Predictive ability in logistic regression:

- The outcome is a binary variable $Y = [0,1]$
- The mean of Y is $E(Y) = \Pr(Y = 1) = \pi$
- The model is represented by $\text{logit}(\pi|X) = \beta X$
- In a logistic regression, assessment of the predictive ability can be summarised in different ways:
 - Discrimination measures
 - AUC or the c-statistic
 - D-statistic
 - R^2 -type measure:
 - On the probability scale: the Brier score
 - On a "latent" variable scale, i.e. $Y^* = \text{logit}(\pi | X)$
 - On the likelihood scale
- Each of these approaches answer different research questions.

Predictive ability in logistic regression:

- On the probability scale
 - Brier score: the squared difference between a patient's status and the predicted probability (p_i) for this patient

$$(average) \text{ Brier score} = \frac{1}{n} \sum_{i=1}^n (Y_i - p_i)^2$$

- One can write the model as a GLM

$$Y^* = \beta X + \varepsilon$$

and $Y^* = \text{logit}(p|X)$, ε has a symmetric distribution around 0.

- One candidate is:

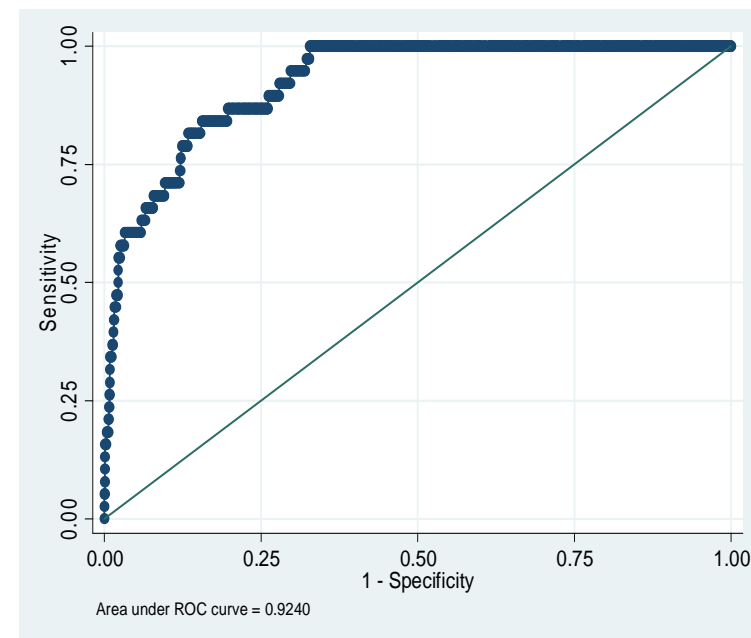
$$R^2_{LG} = \frac{\text{Var}(\beta X)}{\text{Var}(\beta X) + \pi^2/3}$$

- In a Probit model $\pi^2/3$ is replaced with 1.
- R^2_{LG} is commonly used in social sciences

Example: child mortality for children with congenital heart disease

- Population cohort study of all children with CHD in Paris
- Outcome: Death
- Patients: 1166
- Deaths: 40
- Prognostic model: ACC-CHD, gestational age, sex, and birth weight

Item no	Measure	Estimate
1	R^2_{LG}	0.28
2	R^2_{Brier}	0.26
4	$c - index$	0.90



Predictive ability in logistic regression:

- Which measure to use:
- Use the *Brier score* if the interest is in accuracy of the estimates of $\Pr(Y = 1)$ at individual level.
- Use R^2_{LG} to quantify the amount of prognostic information in the "latent" variable model.
- Use the *c – index* if you want to describe the capacity that the model has for distinguishing an individual who experience the event from a non-event subject.

Assessment of risk predictions in survival models:

- It is not straightforward to define appropriate tools because:
 - Censoring makes it more complicated
 - The underlying distribution of time is unknown in the Cox PH model
 - The Cox model has no error term.
- Several tools proposed, but still **no consensus**

Predictive ability in survival models:

Item no	Group	Name	Author
1		R^2_{PM}	Kent & O'Quigley (1988)
2		R^2_{KS}	Korn & Simon (1990)
3		R^2_{OF}	O'Quigley & Flandre (1994)
4	Explained Variation (EV)	R^2_{AK}	Akazawa (1997)
5		R^2_{XO}	Xu & O'Quigley (2001)
6		R^2_D	Royston & Sauerbrei (2004)
7		R^2_R	Royston (2006)
8		ρ^2_W	Kent & O'Quigley (1988)
9		$\rho^2_{W,A}$	Kent & O'Quigley (1988)
10	Explained Randomness (ER)	ρ^2_n	Negelkerke (1991)
11		ρ^2_{XO}	Xu & O'Quigley (1999)
12		ρ^2_K	O'Quigley et al (2005)
13		V_1/V_2	Schemper (1990/1994)
14	Predictive Accuracy (PA)	$R^2_{BS}(T)$	Graf et al (1999)
15		$V_{SH}(T)$	Schemper & Henderson (2000)
16	Other	R^2_{SK}	Schemper & Kaider (1997)
17		R^2_H	Harrell (1986)

Research Article

Received 18 January 2010, Accepted 9 February 2011 Published online 26 April 2011 in Wiley Online Library

(wileyonlinelibrary.com) DOI: 10.1002/sim.4242

A simulation study of predictive ability measures in a survival model I: Explained variation measures

Babak Choodari-Oskooei^{*†}, Patrick Royston and Mahesh K. B. Parmar

Research Article

Received 13 October 2010, Accepted 13 March 2012 Published online 5 July 2012 in Wiley Online Library

(wileyonlinelibrary.com) DOI: 10.1002/sim.5460

A simulation study of predictive ability measures in a survival model II: explained randomness and predictive accuracy

B. Choodari-Oskooei,^{*†} P. Royston and Mahesh K. B. Parmar

Several R^2 -type measures have been proposed to evaluate the predictive ability of a survival model. In Part I,

Predictive ability in survival models:

Model based
Model based

Item no	Group	Name	Author
1		R^2_{PM}	Kent & O'Quigley (1988)
2		R^2_{KS}	Korn & Simon (1990)
3		R^2_{OF}	O'Quigley & Flandre (1994)
4	Explained Variation (EV)	R^2_{AK}	Akazawa (1997)
5		R^2_{XO}	Xu & O'Quigley (2001)
6		R^2_D	Royston & Sauerbrei (2004)
7		R^2_R	Royston (2006)
8		ρ^2_W	Kent & O'Quigley (1988)
9		$\rho^2_{W,A}$	Kent & O'Quigley (1988)
10	Explained Randomness (ER)	ρ^2_n	Niegelkerke (1991)
11		ρ^2_{XO}	Xu & O'Quigley (1999)
12		ρ^2_K	O'Quigley et al (2005)
13		V_1/V_2	Schemper (1990/1994)
14	Predictive Accuracy (PA)	$R^2_{BS}(T)$	Graf et al (1999)
15		$V_{SH}(T)$	Schemper & Henderson (2000)
16	Other	R^2_{SK}	Schemper & Kaider (1997)
17		R^2_H	Harrell (1986)

Different survival C statistics: Quantifying discrimination of Framingham risk score

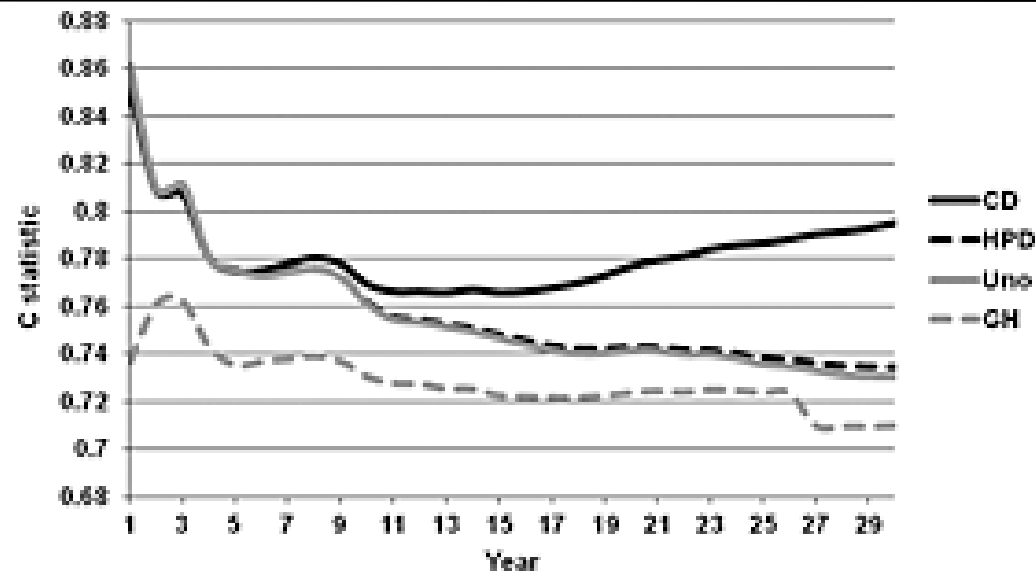
1) C_{CD} -index

2) C_{HPO} -index

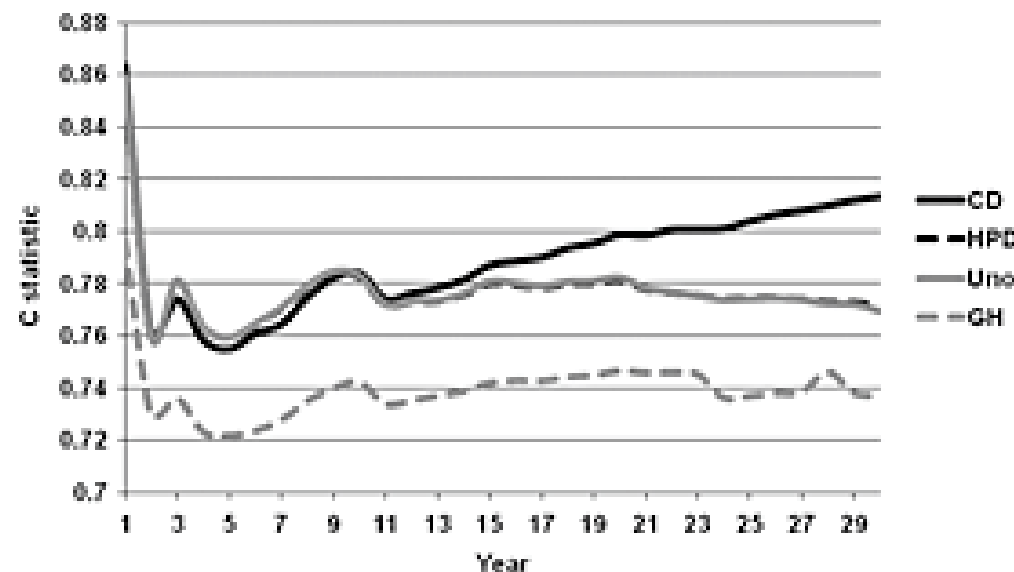
3) C_{Uno} -index

4) C_{GH} -index/ k -statistic

Men:



Women:



Note: In other examples the 4 estimates can differ substantially

Statistics in Medicine

Volume 31, Issue 15, pages 1543-1553, 17

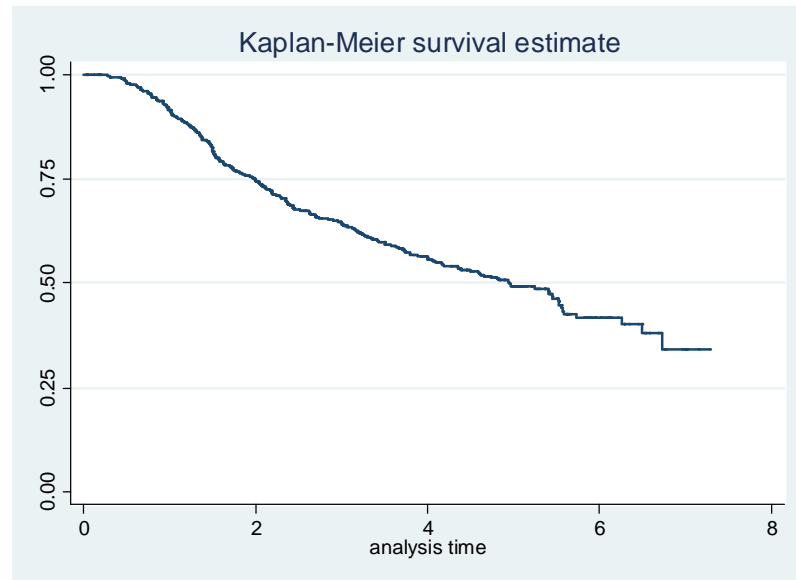
FEB 2012 DOI: 10.1002/sim.4508

<http://onlinelibrary.wiley.com/doi/10.1002/sim.4508/full#sim4508-fig-0002>

/sim.4508/full#sim4508-fig-0002

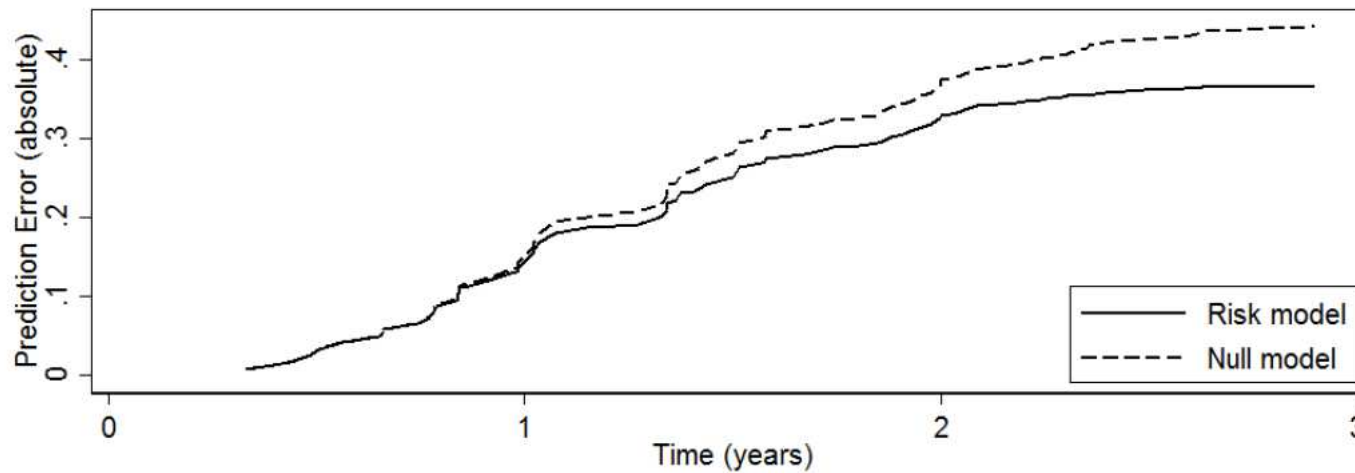
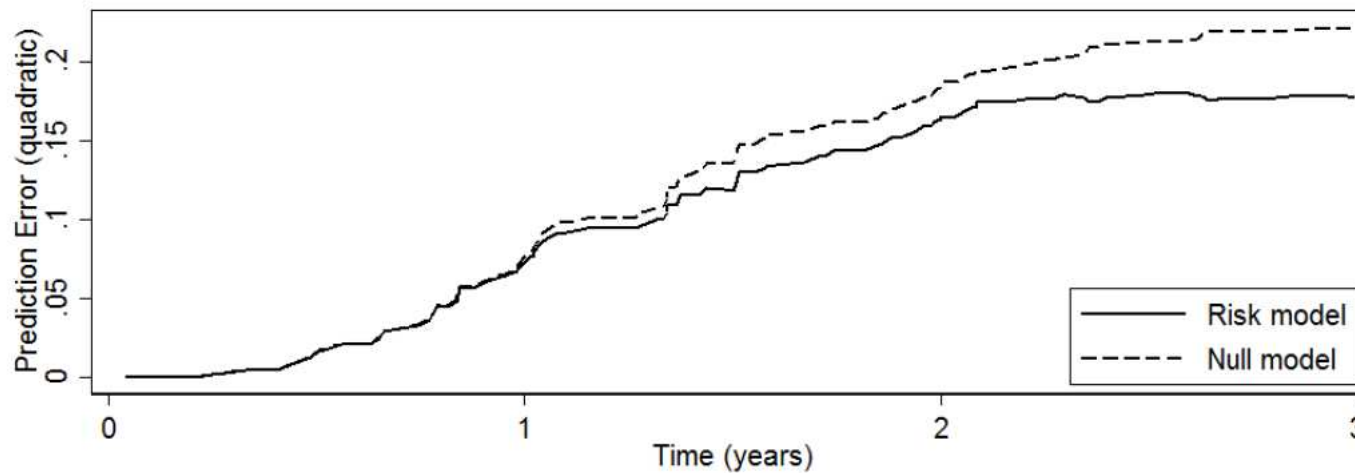
Example of a risk prediction model: breast cancer (Royston & Sau. 1999)

- Outcome: PFS
- Patients: 686
- Events: 299
- Prognostic (Cox PH) model:
 - Age; tumour grade; positive lymph nodes; progesterone receptor; hormone therapy



Measure	Estimate (95% CI)
R^2_{PM}	0.28 (0.21 to 0.35)
R^2_D	0.27 (0.21 to 0.34)
$R^2_{BS(3)}$	0.19 (0.09 to 0.31)
C_H	0.70 (0.66 to 0.77)
C_U	0.70 (0.64 to 0.75)
C_{GH}	0.69 (0.62 to 0.70)
D-statistic	1.26 (0.67 to 1.32)

Prediction error in breast cancer example:



Performance in validation setting*:

- Aim of the study:
 1. Investigate the performance of a developed risk model
 2. Examine the performance of the tools, e.g. censoring impact
- Internal validation: Split sample, cross validation, bootstrapping
 - 2/3 development data
 - 1/3 validation or test data
- External validation: validation data is from a different a more homogenous population
 1. Low risk profile – majority are long-term survivors
 2. High risk profile – majority are short-term survivors

*)Ambler G, Rahman MS, Choodari-Oskoei B, Omar R (2015) Performance measures for validating risk models for survival data. Submitted to the International Journal of Epidemiology,

Validation of a risk prediction model: Results on internal validation - **reproducibility**

Censoring (%)	R^2_{PM} (SD) (0.28)	R^2_D (SD) (0.28)	$R^2_{BS(3)}$ (SD) (0.19)
0	0.28 (0.04)	0.28 (0.04)	0.18 (0.04)
20	0.28 (0.04)	0.28 (0.04)	0.18 (0.04)
50	0.28 (0.05)	0.28 (0.05)	0.18 (0.05)
80	0.28 (0.07)	0.29 (0.07)	0.18 (0.08)

Censoring (%)	C_H (SD) (0.69)	C_U (SD) (0.69)	C_{GH} (SD) (0.69)	D (SD) (1.26)	CS
0	0.69 (0.02)	0.69 (0.02)	0.69 (0.01)	1.27 (0.11)	0.98 (0.10)
20	0.69 (0.02)	0.69 (0.02)	0.69 (0.01)	1.28 (0.12)	0.98 (0.11)
50	0.70 (0.02)	0.69 (0.02)	0.69 (0.02)	1.29 (0.15)	0.98 (0.13)
80	0.71 (0.04)	0.70 (0.06)	0.69 (0.02)	1.32 (0.23)	0.99 (0.18)

CS: calibration slope - the slope of the regression of the observed survival outcomes on the predicted prognostic index.

Validation of a risk prediction model: Results on external validation - **transportability**

Risk Profile	Cens. (%)	R²_{PM} (SD) (0.28)	R²_D (SD) (0.28)	R²_{BS(3)} (SD) (0.19)		
Low	0	0.23 (0.03)	0.23 (0.03)	0.13 (0.04)		
Low	20	0.23 (0.04)	0.23 (0.04)	0.13 (0.04)		
Low	50	0.23 (0.05)	0.24 (0.05)	0.13 (0.04)		
Low	80	0.24 (0.07)	0.26 (0.08)	0.13 (0.06)		
High	0	0.25 (0.04)	0.24 (0.03)	0.16 (0.04)		
High	20	0.25 (0.04)	0.24 (0.04)	0.16 (0.04)		
High	50	0.25 (0.05)	0.24 (0.05)	0.16 (0.05)		
High	80	0.25 (0.07)	0.25 (0.07)	0.16 (0.11)		
Risk Profile	Cens. (%)	C_H (SD) (0.69)	C_U (SD) (0.69)	C_{GH} (SD) (0.69)	D (SD) (1.26)	CS
Low	0	0.67 (0.02)	0.67 (0.02)	0.67 (0.01)	1.10 (0.11)	0.98 (0.11)
Low	20	0.67 (0.02)	0.67 (0.02)	0.67 (0.01)	1.11 (0.12)	0.98 (0.12)
Low	50	0.68 (0.02)	0.67 (0.02)	0.67 (0.02)	1.14 (0.15)	0.99 (0.14)
Low	80	0.69 (0.04)	0.67 (0.06)	0.67 (0.02)	1.20 (0.24)	0.99 (0.19)
High	0	0.68 (0.02)	0.68 (0.02)	0.68 (0.01)	1.16 (0.11)	0.98 (0.11)
High	20	0.68 (0.02)	0.68 (0.02)	0.68 (0.01)	1.16 (0.12)	0.98 (0.12)
High	50	0.68 (0.02)	0.68 (0.02)	0.68 (0.02)	1.16 (0.15)	0.98 (0.14)
High	80	0.69 (0.04)	0.68 (0.06)	0.68 (0.03)	1.19 (0.23)	0.99 (0.20)

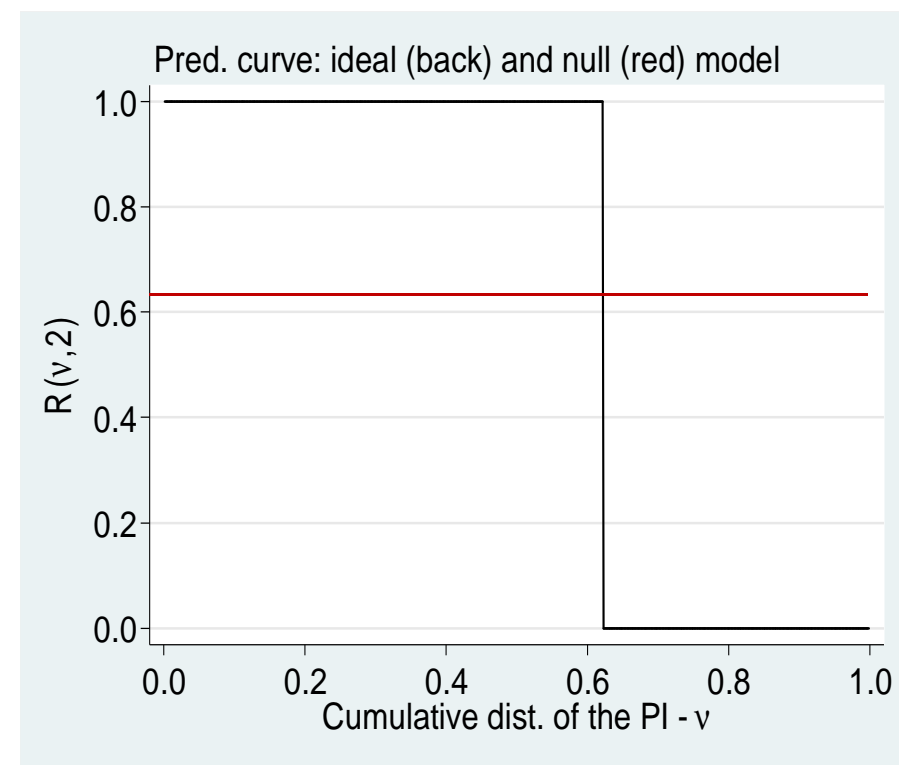
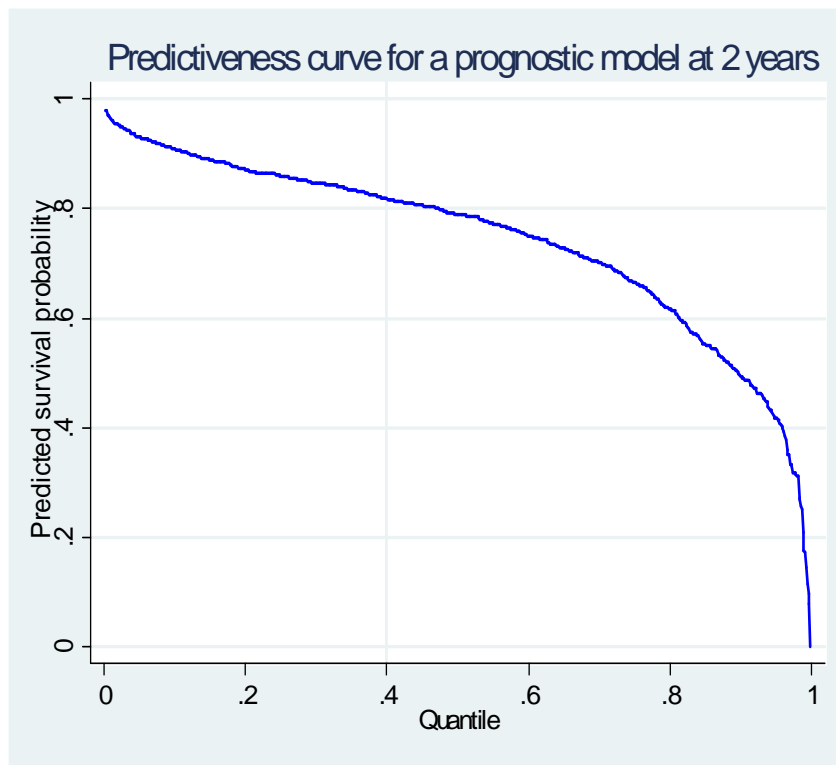
Total gain (TG) measure:

- Most existing measures of predictive ability only do not handle the case where time-dependent covariates (i.e. non-PH assumption) exist
- The existing explained variation measures only provide an estimate for the whole follow-up period

Total gain (TG) measure:

TG is based on the predictiveness curve

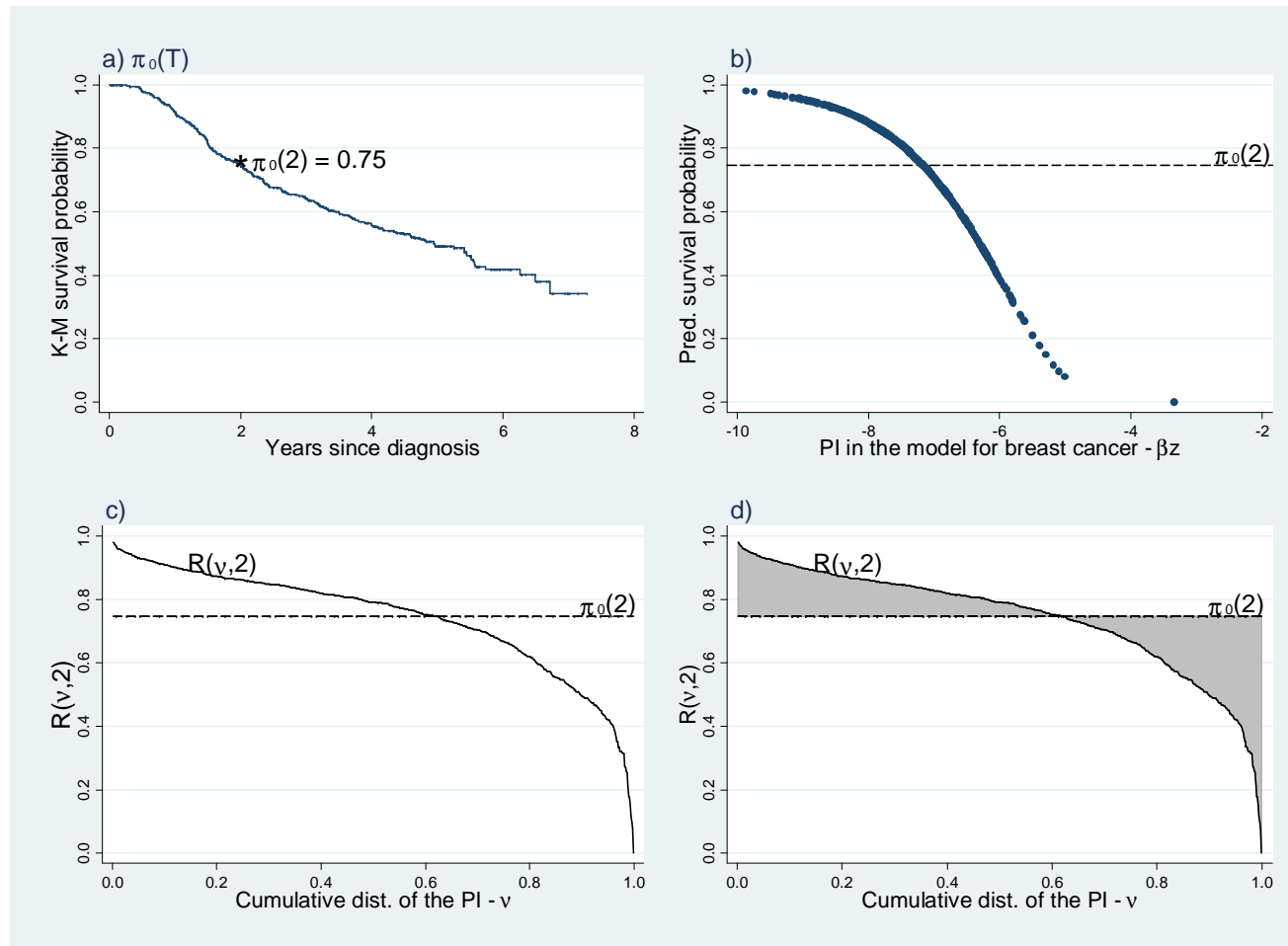
- Predictiveness curve is the distribution function of the predicted survival probabilities at time T.
- This gives the graph a useful interpretation
 - For example, 40% of the individuals in the data have predicted survival probabilities of more than 0.82



Total gain (TG) measure:

TG is based on the predictiveness curve

- Steps to be taken to estimate the (standardised) TG

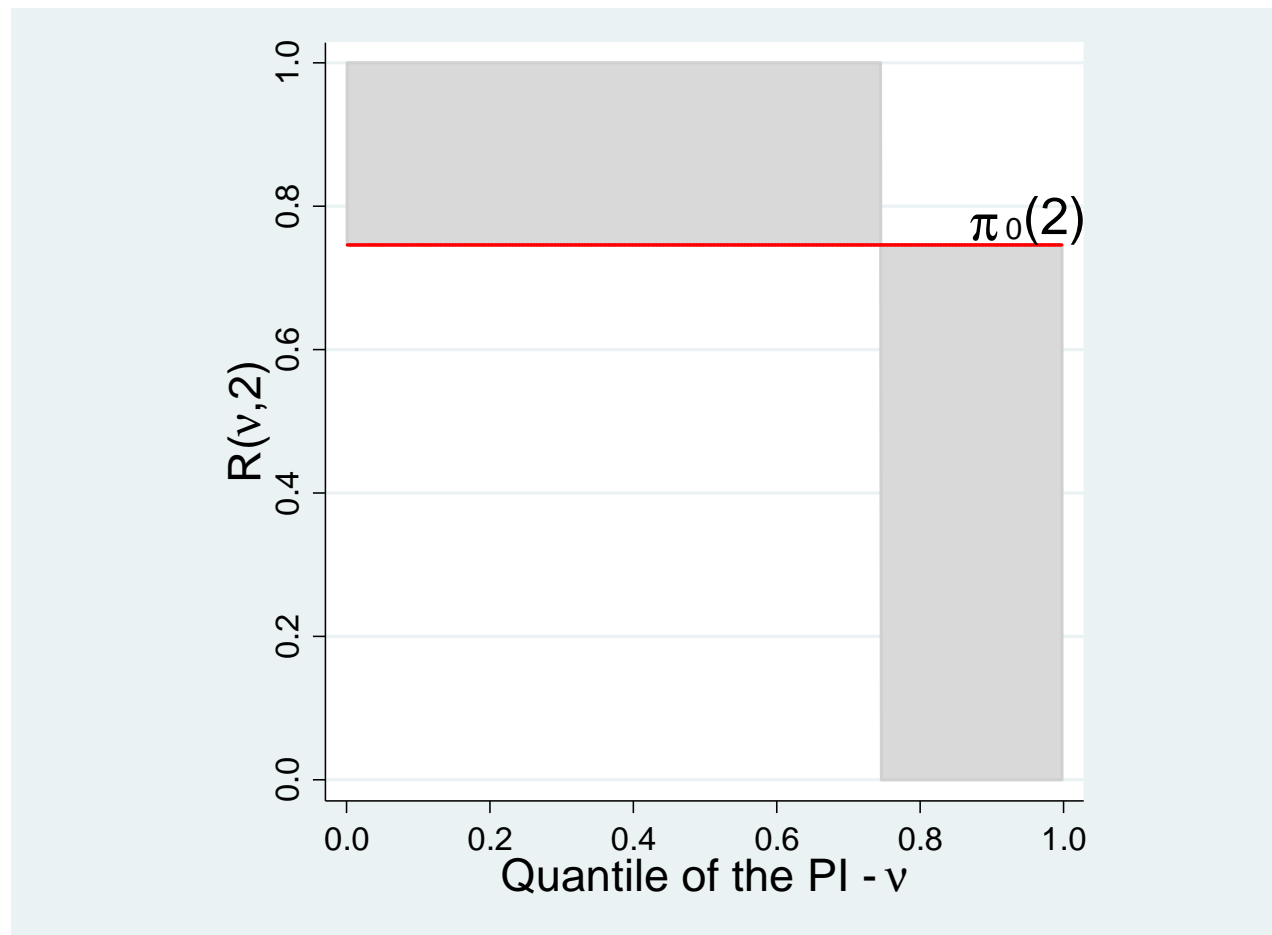


- The shaded area is the total gain (TG) statistic.

Total gain (TG) measure:

TG is based on the predictiveness curve

- Predictiveness curve for an "ideal" prognostic survival model



Properties of $TG_{STD}(T)$:



Research article

Highly accessed

Open Access

The extension of total gain (TG) statistic in survival models: properties and applications

Babak Choodari-Oskoei^{*}, Patrick Royston and Mahesh K.B. Parmar

^{*} Corresponding author: Babak Choodari-Oskoei b.choodari-oskoei@ucl.ac.uk

▼ Author Affiliations

MRC Clinical Trials Unit at UCL, Aviation House, 125 Kingsway, London WC2B 6NH, UK

For all author emails, please [log on](#).

BMC Medical Research Methodology 2015, **15**:50

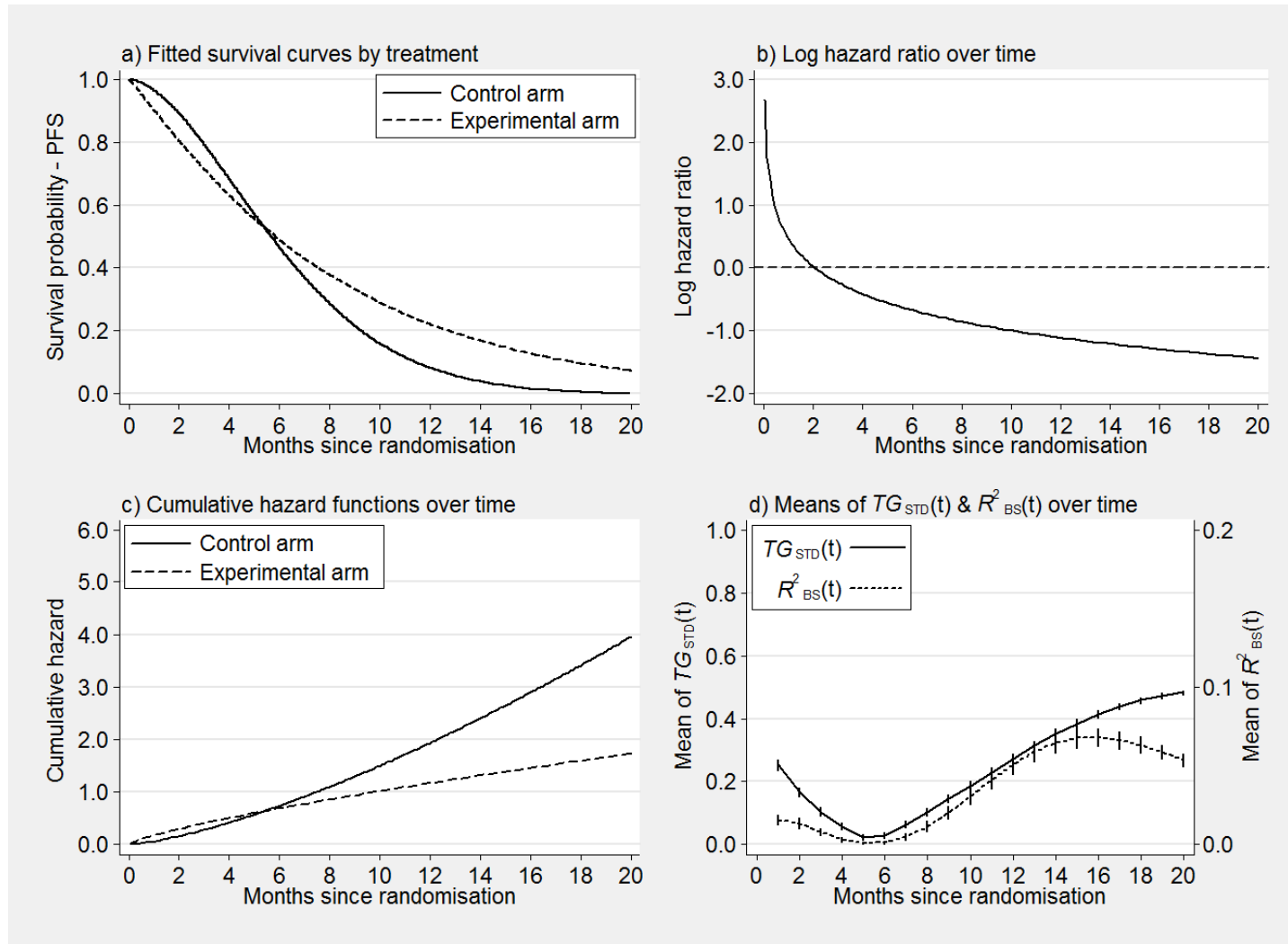
doi:10.1186/s12874-015-0042-x

Properties of $TG_{STD}(T)$:

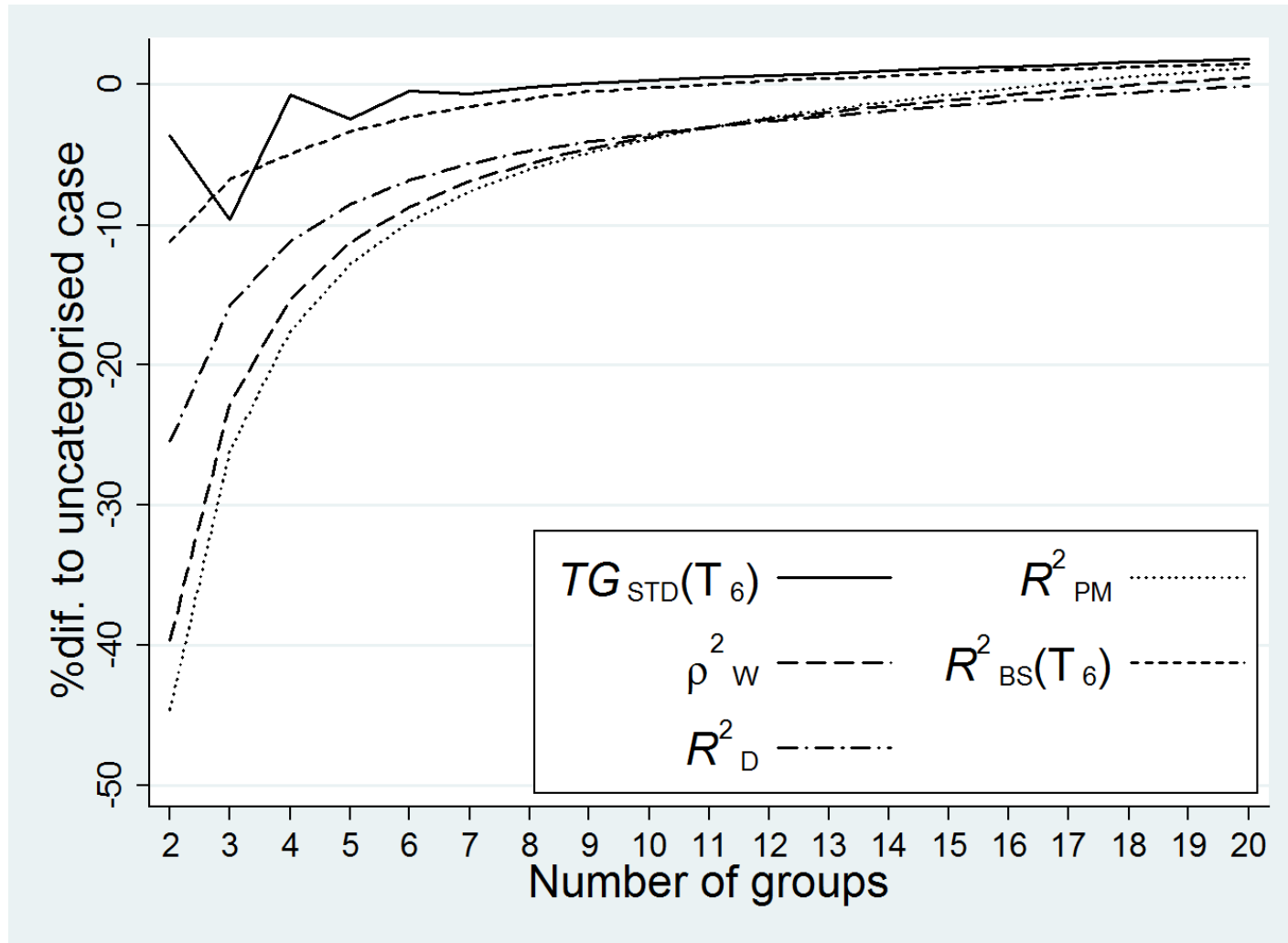
$TG_{STD}(T)$ is:

- $TG_{STD}(T) \in [0,1]$,
 - 0 means no predictive ability;
 - 1 means perfect predictive ability;
- A function of time: can deal with time-dependant covariates,
- Is not affected by random censoring,
- Is normally distributed,
- Can be extended to other survival models,

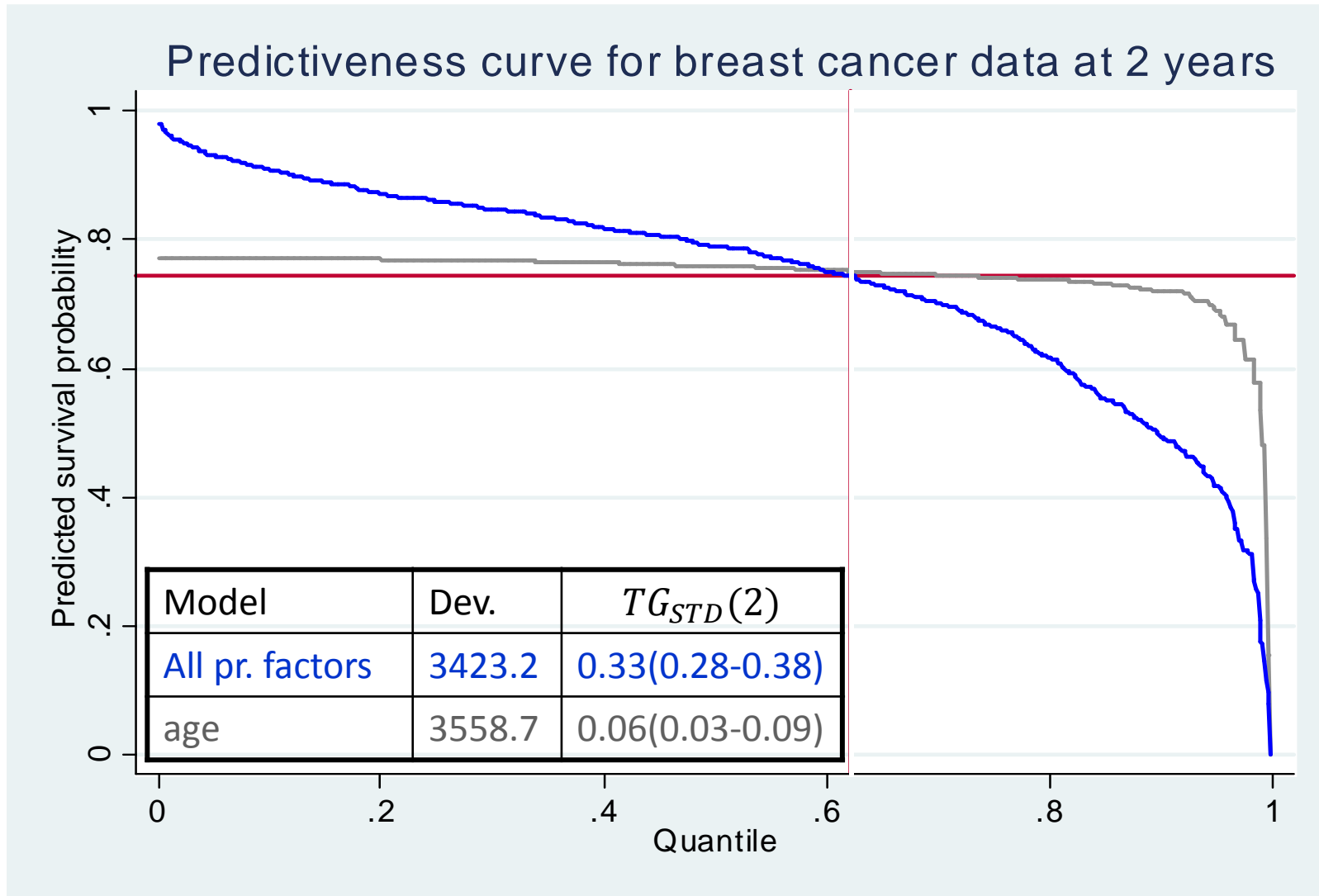
Properties of $TG_{STD}(T)$:



Properties of $TG_{STD}(T)$:



Some examples I: Breast cancer:



Some examples II: Other diseases

Study	$TG_{STD}(T_2)$	R^2_{PM}	R^2_D	$R^2_{BS}(T_2)$	C_{Uno} -index
Breast cancer	0.33 (0.28-0.38)	0.27 (0.21-0.35)	0.28 (0.21-0.35)	0.16 (0.10-0.21)	0.69
Lymphoma	0.21 (0.07-0.36)	0.10 (0.02-0.28)	0.09 (0.02-0.30)	0.11 (0.01-0.18)	0.62
Lymphoma + Gene factor	0.31 (0.18-0.44)	0.23 (0.11-0.42)	0.23 (0.11-0.40)	0.22 (0.05-0.34)	0.70
PBC – liver disease	0.62 (0.54-0.70)	0.56 (0.48-0.65)	0.65 (0.55-0.74)	0.47 (0.38-0.58)	0.80
Renal cancer	0.37 (0.31-0.42)	0.27 (0.21-0.36)	0.26 (0.20-0.33)	0.27 (0.21-0.34)	0.71
Prostate cancer	0.24 (0.19-0.29)	0.13 (0.09-0.20)	0.13 (0.09-0.21)	0.11 (0.06-0.15)	0.63

Conclusions

- In most diseases, there still remains a large uncertainty regarding risk predictions at the individual level
- The existing web-tools and risk calculators should be more transparent
- They should provide more information regarding the uncertainty associated with their predicted risk
- Long-term risk predictions are less accurate than short-term
- Applying a risk prediction model to a different population will affect its predictive ability, but might not change its discrimination
- Discrimination is only part of the story. It provides little or no information on the accuracy of risk predictions
- $TG_{STD}(T)$ can be used in survival model

Future research

- Design of a risk prediction study/model
 - E.g. sample size issue
 - What are the design parameters?
 - Define the “error rates” that need to be controlled?
- Repositories for risk prediction models in different diseases
 - Currently, the available information is widely dispersed!
- Comprehensive assessment of risk prediction models across different disease areas to compare the available prognostic information provided by clinical, biological, and genetic factors
- Dissemination and knowledge transfer of the available guidelines for prognostic studies in different disease areas

A relevant quote:

- “If you can measure that of which you speak, and can express it by a number, you know something of your subject, but if you cannot measure it, your knowledge is meagre and unsatisfactory.”

William Thomson,

Lord Kelvin, engineer, mathematician, and physicist (1824–1907)

References

- Choodari-Oskooei B, Royston P, Parmar MKB (2015). The extension of total gain (TG) statistic in survival models: Properties and applications. *BMC Medical Research Methodology*. doi:10.1186/s12874-015-0042-x
- Choodari-Oskooei B, Royston P, Parmar MKB (2012). A simulation study of predictive ability measures in a survival model I: Explained variation measures. *Statistics in Medicine*, 31 (23), 2627-2643. doi:10.1002/sim.4242
- Choodari-Oskooei B, Royston P, Parmar MKB (2012). A simulation study of predictive ability measures in a survival model II: explained randomness and predictive accuracy. *Statistics in Medicine*, 31 (23), 2644-2659. doi:10.1002/sim.5460
- Ambler G, Rahman MS, Choodari-Oskooei B, Omar R (2015) Performance measures for validating risk models for survival data. Submitted to the International Journal of Epidemiology,